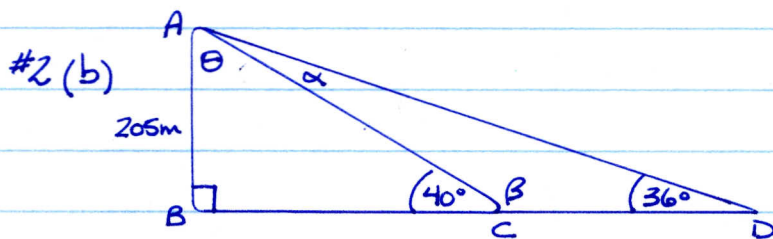


More TRIG PRACTICE



For Any TRIANGLE, SUM OF INTERNAL ANGLES = 180°

Thus, For $\triangle ABC$

$$\begin{aligned}\theta &= 180^\circ - 90^\circ - 40^\circ \\ &= 50^\circ\end{aligned}$$

$$\begin{aligned}\beta &= 180^\circ - 40^\circ \\ &= 140^\circ\end{aligned}$$

$$\begin{aligned}\rightarrow \text{For } \triangle ACD, \alpha &= 180^\circ - 140^\circ - 36^\circ \\ &= 4^\circ\end{aligned}$$

USING TRIG TO DETERMINE THE MAGNITUDE OF THE SIDES:

For BC

$$\tan 40^\circ = \frac{205}{BC}$$

$$BC \tan 40^\circ = 205$$

$$BC = \frac{205}{\tan 40^\circ}$$

$$= 244.3 \text{ m}$$

For AB

$$\sin 40^\circ = \frac{205}{AB}$$

$$AB \sin 40^\circ = 205$$

$$AB = \frac{205}{\sin 40^\circ}$$

$$= 318.9 \text{ m}$$

TO DETERMINE CD, IT IS EASIER TO FIRST DETERMINE BD RATHER THAN USE COSINE LAW:

BD

$$\tan 36^\circ = \frac{205}{BD}$$

$$\therefore BD = 282.2 \text{ m}$$

$$\therefore CD = BD - BC$$

$$= 282.2 - 244.3$$

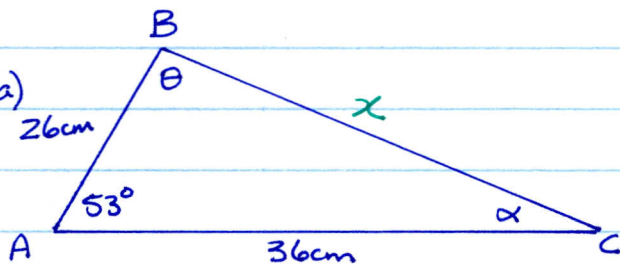
$$= 37.9 \text{ m}$$

For AD

$$\sin 36^\circ = \frac{205}{AD}$$

$$\begin{aligned}AD &= \frac{205}{\sin 36^\circ} \\ &= 348.8 \text{ m}\end{aligned}$$

#3 a)



$$c^2 = a^2 + b^2 - 2ab \cos C$$

$$x^2 = 26^2 + 36^2 - 2(26)(36) \cos 53^\circ$$

$$= 845.4$$

$$x = 29.1 \text{ cm}$$

To determine θ

$$\frac{36}{\sin \theta} = \frac{29.1}{\sin 53^\circ}$$

$$36 \sin 53^\circ = 29.1 \sin \theta$$

$$28.75 = 29.1 \sin \theta$$

$$\sin \theta = \frac{28.75}{29.1}$$

$$= 0.9880$$

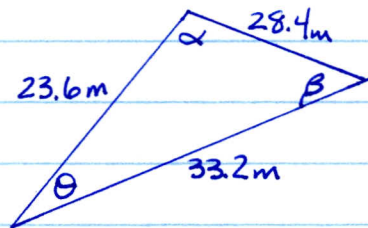
$$\theta = \sin^{-1}(0.9880)$$

$$= 81.1^\circ$$

$$\therefore \alpha = 180 - 53 - 81.1$$

$$= 45.9^\circ$$

b) 23.6m



No ANGLES GIVEN \Rightarrow FORCED TO
USE COSINE LAW

Solve for θ

$$c^2 = a^2 + b^2 - 2ab \cos \theta$$

$$28.4^2 = 23.6^2 + 33.2^2 - 2(23.6)(33.2) \cos \theta$$

$$28.4^2 - 23.6^2 - 33.2^2 = -1567.04 \cos \theta$$

$$-852.64 = -1567.04 \cos \theta$$

$$\cos \theta = \frac{-852.64}{-1567.04}$$

$$= 0.5441$$

$$\theta = \cos^{-1}(0.5441)$$

$$= 57.0^\circ$$

Now you can use sine law
to derive any one
of the other angles.